Unsupervised Event Detection in Long Horizon Timeseries Data
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## MOTIVATION

- In many domains we have an abundance of extremely long timeseries data
- Often this data is unlabeled, inconsistently labeled, or improperly labeled
- Often contains subtle and noisy information about recurring events
- Examples abound in medicine, seismology, the stock market, and cosmology


## RESEARCH QUESTIONS

- Can we detect distinct subsequences in timeseries of a repeating event?
- Can we do this when events are temporally disparate?
- Is this possible using an unsupervised algorithm?
- If so, how do we know a detected event is meaningful?


## DATA SET

- Waveforms collected from Geophones at 500 Hz continuously over one year
- Three temporally distinct DAG experiments recorded at NNSS
- Data collection along three axes at 6 spatially separated stations
- Timeseries of roughly 15 billion samples per year per station per axis
- Potential events for detection are repeated activity surrounding experiments


Figure 1: Example of raw signals along an axis. Rows correspond to individual stations and column correspond to a specific day ( $\sim 43$ million points per station). Notice how different they are.

## DATA PROCESSING PIPELINE



## SINGLE-CHANNEL TSTS

## nput

- Fingerprint Similarity Network (G)
- Minimum sized sequence to constitute event $(T)$
- Threshold on initial "high similarity" matches $(\theta)$
- Threshold on candidate triangles $(\tau)$

1. Form thresholded adjacency list of $G$ with a node's neighbor included if and only if their similarity is greater than $\theta$
2. Recurrently search the resultant adjacency list for maximal length temporal sequences with greater than $T$ "high similarity" adjacent node pairs. All such sequences are stored as a "potential event"
3. for each "potential event" do
. for each "high similarity" pair in the "potential event" do
Create a list of nodes forming triangles in $G$ with said pair. Only include nodes with similarity greater than $\tau$ to both nodes in the "high similarity" nodes
pair
4. Recurrently search the resultant lists for maximal length temporal sequences with greater than $T$ triangle forming nodes. All such sequences of triangles are stored as a detected event

Output: Set of detected events and the ordered fingerprints found to be in each event

## EXTENSIONS

- Multi-Station TSTS
- Ground Truth Query TSTS
- Temporally Sequential $N$-Clique Search


## FUTURE DIRECTIONS

- Considering the multi-scale setting
- Incorporating network statistics to mitigate false detections
- Improvements by incorporating weighted variant of the "Onion Decomposition"


## REFERENCES

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